## Topics

Considering the varied background of the registered students, it is difficult to run a course satisfying everybody, but I hope all of you will take away something from the course.

We will start with a crash course on Commutative Algebra and Homological Algebra. In the second part, we will define  $K_0$  of rings and Chow groups of rings. We will do some important calculations and prove some basic theorems. Some of the theorems need more Algebraic Geometry than can be covered, but I hope to at least state the results precisely and illustrate uses of Grothendieck -Riemann Roch theorem (without denominators). In the last part, I will define and construct Quillen's theory of higher K-groups. As some of you know, this is an abstract definition with precious few actual computations, so not much will be done with these groups.

# Time

Classes meet MWF 11-12 in Lopata 201

# Prerequisites

Math 5031-2, Algebraic Topology is a plus, but I will recall some of the basics.

## Texts

For Commutative Algebra there are many texts (e.g. Lang, Serre's Local Algebra, Matsumura, Atiyah-MacDonald, Eisenbud). Similarly, Homological Algebra is covered in many books (Lang, Weibel, Serre, Matsumura). Many aspects of  $K_0$ -theory is covered in these books-Manin's article in Russian Mathematical Surveys, Weibel's book, Fulton's Intersection Theory. Chow groups are extensively dealt with in Fulton's book. Higher K-theory is dealt with by Weibel, Srinivas and others in their books. Algebraic Topology is covered in all standard texts (Hatcher, Spanier etc.).

#### Office Hours

My office is Cupples I, room 111A, and my office hours are on Tuesdays from 3-4pm, or make an appointment by email.