

1.(1 pt) Relative to the graph of

$$y = x^2$$

the graphs of the following equations have been changed in what way?

- 1.  $y = (x^2)/10$
  - 2.  $y = x^2 - 5$
  - 3.  $y = (x/10)^2$
  - 4.  $y = x^2 + 5$
- A. shifted 5 units up  
B. compressed vertically by the factor 10  
C. shifted 5 units down  
D. stretched horizontally by the factor 10

2.(1 pt) Relative to the graph of

$$y = x^2$$

the graphs of the following equations have been changed in what way?

- 1.  $y = x^2 - 13$
  - 2.  $y = (x - 13)^2$
  - 3.  $y = (x^2)/13$
  - 4.  $y = (13x)^2$
- A. shifted 13 units down  
B. compressed vertically by the factor 13  
C. compressed horizontally by the factor 13  
D. shifted 13 units right

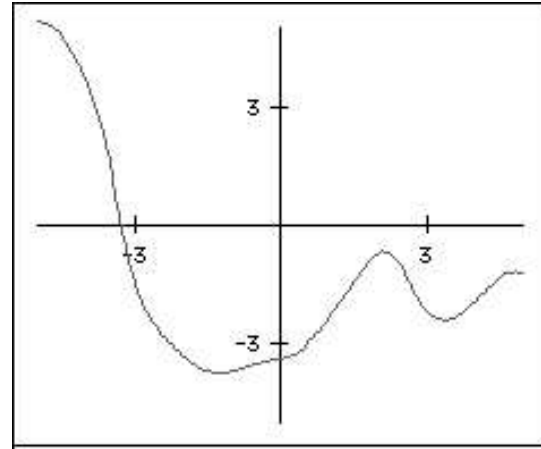
3.(1 pt) Relative to the graph of

$$y = x^2$$

the graphs of the following equations have been changed in what way?

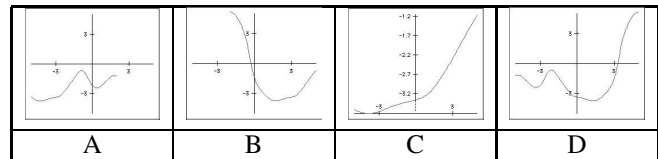
- 1.  $y = (x^2)/11$
  - 2.  $y = (11x)^2$
  - 3.  $y = 11x^2$
  - 4.  $y = x^2 - 11$
- A. compressed vertically by the factor 11  
B. shifted 11 units down  
C. stretched vertically by the factor 11  
D. compressed horizontally by the factor 11

4.(1 pt) This is a graph of the function  $F(x)$ : **(Click on image for a larger view)**



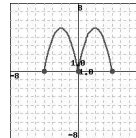
Enter the letter of the graph below which corresponds to the transformation of the function.

- 1.  $F(-x)$
- 2.  $F(x + 3)$
- 3.  $F(x/3)$
- 4.  $F(x - 3)$



5.(1 pt) Let  $g$  be the function below.

For all graphs on this page, if you are having a hard time seeing the picture clearly, click on it. It will expand to a larger picture on its own page so that you can inspect it more closely.

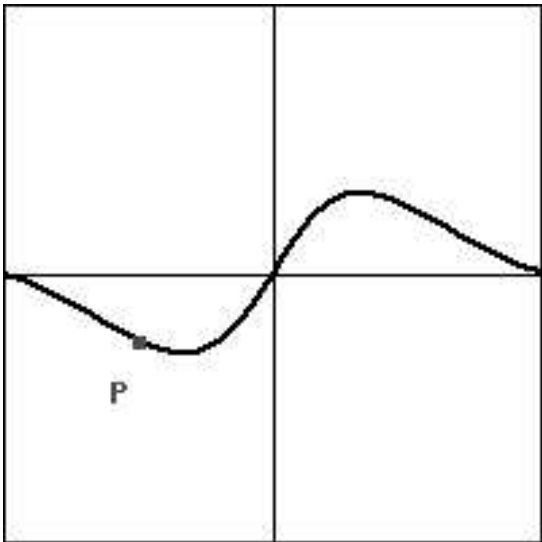
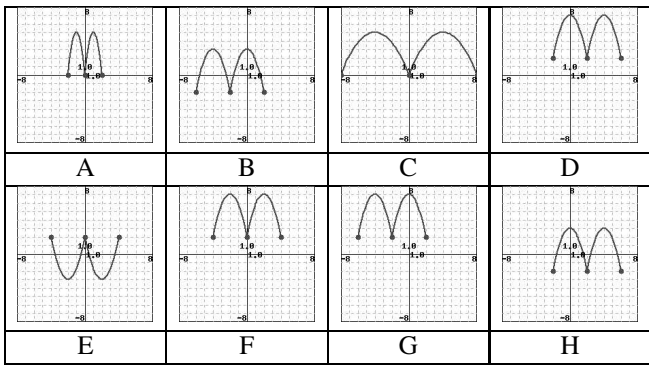


The domain of  $g(x)$  is of the form  $[a, b]$ , where  $a$  is \_\_\_\_ and  $b$  is \_\_\_\_.

The range of  $g(x)$  is of the form  $[c, d]$ , where  $c$  is \_\_\_\_ and  $d$  is \_\_\_\_.

Enter the letter of the graph which corresponds to each new function defined below:

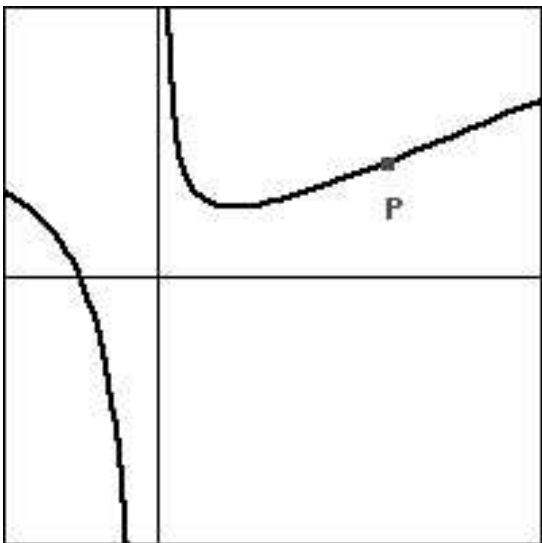
- 1.  $g(x - 2) + 2$  is \_\_\_\_\_.
- 2.  $g(2x)$  is \_\_\_\_\_.
- 3.  $2 + g(-x)$  is \_\_\_\_\_.
- 4.  $g(x + 2) - 2$  is \_\_\_\_\_.



6.(1 pt)

For each of the following graph transformations, give the  $x$  and  $y$  coordinates of the point on the new graph which corresponds to the point  $P = (-6, -9)$  on the original graph.

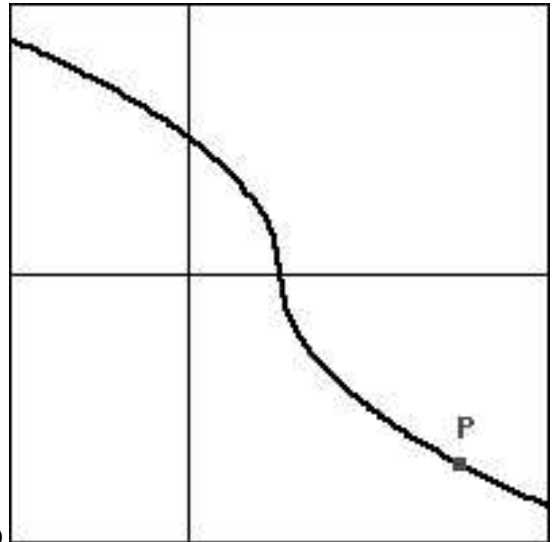
- Shift Up by 5: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Stretch Horizontally by 9: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Flip Vertically: ( \_\_\_\_\_ , \_\_\_\_\_ )



7.(1 pt)

For each of the following graph transformations, give the  $x$  and  $y$  coordinates of the point on the new graph which corresponds to the point  $P = (7, 5)$  on the original graph.

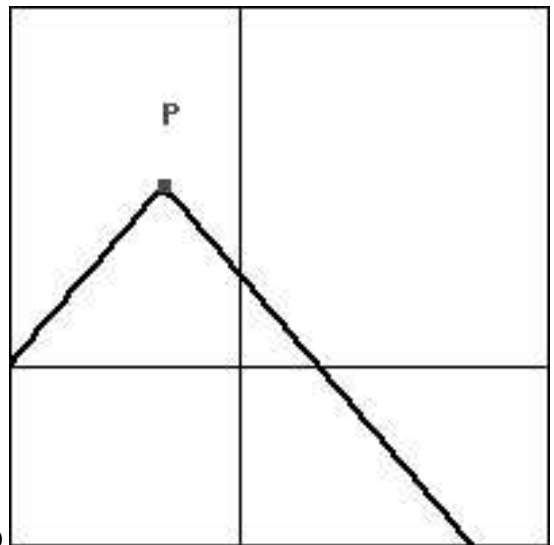
- Shift Left by 8: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Shrink Vertically by 6: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Flip Horizontally: ( \_\_\_\_\_ , \_\_\_\_\_ )



8.(1 pt)

For each of the following graph transformations, give the  $x$  and  $y$  coordinates of the point on the new graph which corresponds to the point  $P = (4, -5)$  on the original graph.

- Shift Down by 5 and then Flip Vertically: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Flip Vertically and then Shift Down by 5: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Shrink Horizontally by 2 and then Shift Right by 3: ( \_\_\_\_\_ , \_\_\_\_\_ )
- Shift Right by 3 and then Shrink Horizontally by 2: ( \_\_\_\_\_ , \_\_\_\_\_ )



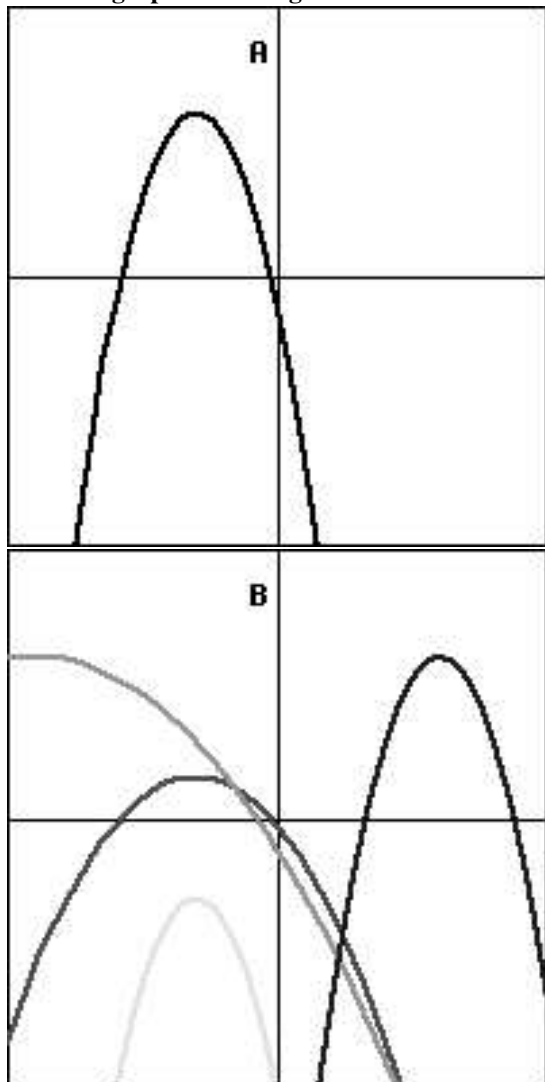
9.(1 pt)

For each of the following graph transformations, give the  $x$  and  $y$  coordinates of the point on the new graph which corresponds to the point  $P = (-3, 7)$  on the original graph.

- Shift Right by 7 and then Flip Horizontally: ( \_\_\_\_\_ , \_\_\_\_\_ )

Flip Horizontally and then Shift Right by 7: ( \_\_\_ , \_\_\_ )  
 Stretch Vertically by 8 and then Shift Down by 5: ( \_\_\_ , \_\_\_ )  
 Shift Down by 5 and then Stretch Vertically by 8: ( \_\_\_ , \_\_\_ )

**10.**(1 pt) Each of the four graphs in plane B below comes from the original graph in plane A via exactly one transformation. Match each transformation of the original graph in plane A with the color of the graph in plane B which is the result.  
**click on the graphs for a larger view**

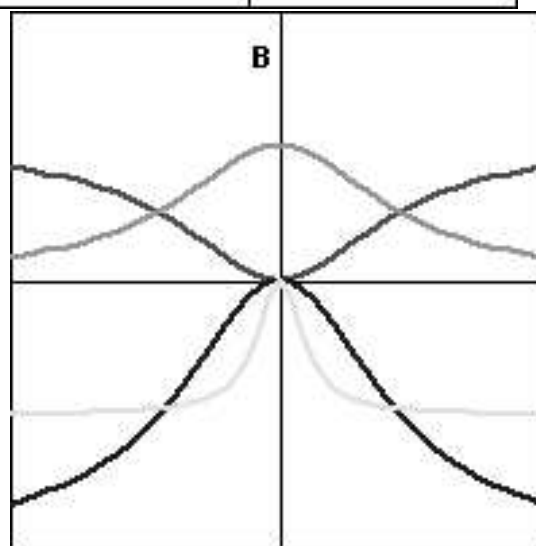
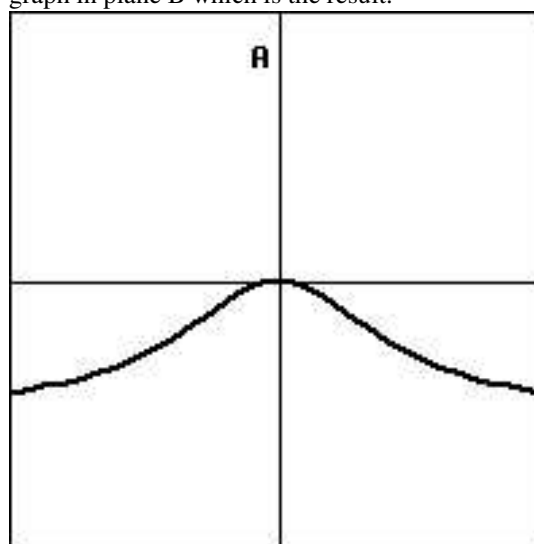


Important!! You only have 3 attempts to get this problem right!

- \_\_\_ 1. Shift Right
  - \_\_\_ 2. Shrink Vertically
  - \_\_\_ 3. Shift Down
  - \_\_\_ 4. Stretch Horizontally
- A. yellow  
 B. green  
 C. blue  
 D. red

**11.**(1 pt)

Each of the four graphs in plane B comes from the original graph in plane A via exactly one transformation. Match each transformation of the original graph in plane A with the color of the graph in plane B which is the result.



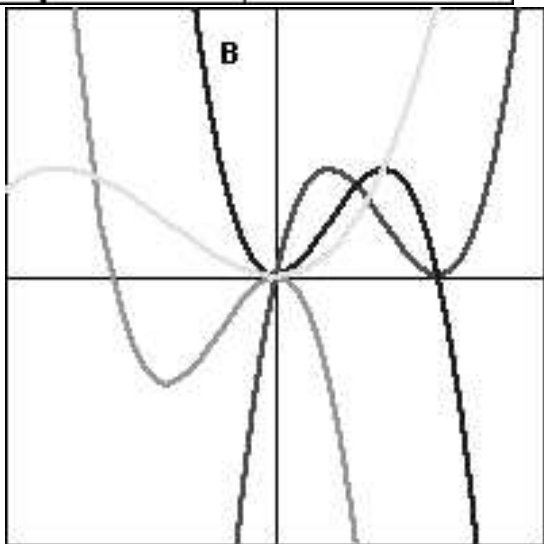
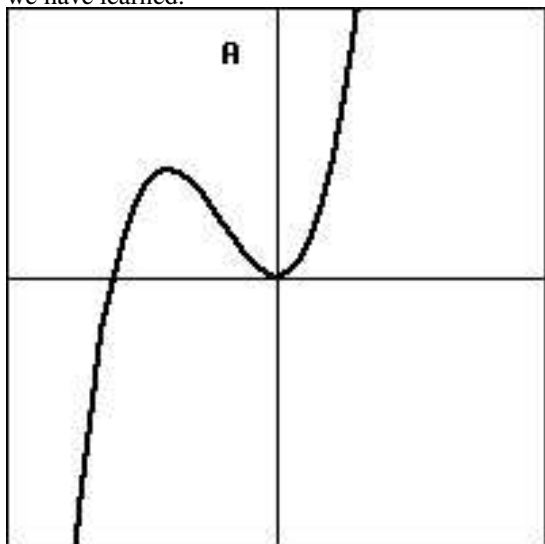
Important!! You only have 3 attempts to get this problem right!

- \_\_\_ 1. Stretch Vertically
  - \_\_\_ 2. Flip Vertically
  - \_\_\_ 3. Shrink Horizontally
  - \_\_\_ 4. Shift Up
- A. yellow  
 B. red  
 C. blue  
 D. green

**12.**(1 pt)

The graph in plane A is of the function  $f(x) = x^2(x + 3)$ . Match the color of each graph in plane B with the equation that fits it. Use the fact that each graph in B can be obtained from the

original by applying just one of the basic transformations which we have learned.



Important!! You only have 3 attempts to get this problem right!

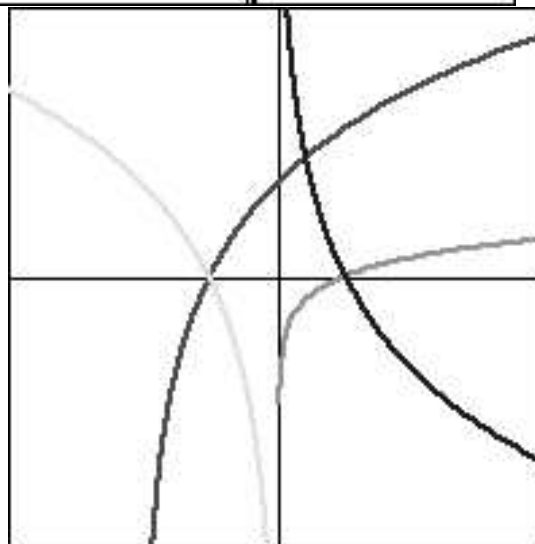
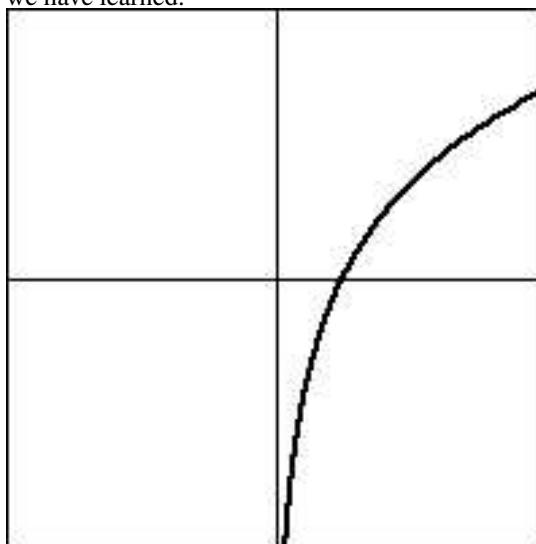
- 1.  $f(x) = (\frac{x}{2} + 3)\frac{x^2}{4}$
- 2.  $f(x) = -(x + 3)x^2$
- 3.  $f(x) = (-x + 3)x^2$
- 4.  $f(x) = x(x - 3)^2$

- A. blue
- B. yellow
- C. red
- D. green

13.(1 pt)

The graph in plane A is of the equation  $x = 2^y$ .

Match the color of each graph in plane B with the equation that fits it. Use the fact that each graph in B can be obtained from the original by applying just one of the basic transformations which we have learned.



Important!! You only have 3 attempts to get this problem right!

- 1.  $x = 2^y - 2$
- 2.  $x = -2^y$
- 3.  $x = 2^{-y}$
- 4.  $x = 2^{5y}$

- A. green
- B. red
- C. yellow
- D. blue