
1.(1 pt) If the following series converges, compute its sum. Otherwise, enter INF if it diverges to infinity, MINF if it diverges to minus infinity, and DIV otherwise.

$$\sum_{n=1}^{\infty} \frac{4}{n(n+2)}$$

(Hint: try breaking the summands up partial fractions-style.)

2.(1 pt) For the following series, if it converges, enter the limit of convergence. If not, enter "DIV" (unquoted).

$$\sum_{n=1}^{\infty} \ln(2(n+1)) - \ln(2n)$$

3.(1 pt) Determine the sum of the following series.

$$\sum_{n=1}^{\infty} \left(\sin\left(\frac{9}{n}\right) - \sin\left(\frac{9}{n+1}\right) \right)$$

4.(1 pt) Decide whether each of the following series converges. If a given series converges, compute its sum. Otherwise,

enter INF if it diverges to infinity, MINF if it diverges to minus infinity, and DIV otherwise.

— 1.

$$\sum_{n=1}^{\infty} \left(\sin\left(\frac{2}{n}\right) - \sin\left(\frac{2}{n+1}\right) \right)$$

— 2.

$$\sum_{n=1}^{\infty} (\sin(2n) - \sin(2(n+1)))$$

— 3.

$$\sum_{n=1}^{\infty} (e^{10n} - e^{10(n+1)})$$

5.(1 pt) If the following series converges, compute its sum. Otherwise, enter INF if it diverges to infinity, MINF if it diverges to minus infinity, and DIV otherwise.

$$\sum_{n=1}^{\infty} (e^{(-1)n} - e^{-1(n+1)})$$
